

Assessment Schedule – 2013**Physics: Demonstrate understanding of mechanical systems (91524)****Evidence Statement**

Achievement	Achievement with Merit	Achievement with Excellence
<i>Demonstrate understanding</i> requires writing statements that typically show an awareness of how simple facets of phenomena, concepts or principles relate to a described situation. For mathematical solutions, relevant concepts will be transparent, methods will be straightforward.	<i>Demonstrate in-depth understanding</i> requires writing statements that will typically give reasons why phenomena, concepts or principles relate to given situations. For mathematical solutions the information may not be directly usable or immediately obvious.	<i>Demonstrate comprehensive understanding</i> requires writing statements that will typically give reasons why phenomena, concepts or principles relate to given situations. Statements will demonstrate understanding of connections between concepts.

Evidence Statement

NØ = No response; no relevant evidence.

GENERAL GUIDELINES

- An Excellence is worth at least one Merit (look at Merit statements to see if it is worth more than one Merit)
- A Merit is worth at least one Achieved (look at Achieved statements to see if it is worth more than one Achieved)
- Symbols can be used in place of words in explanations for all levels
- Accept in place of “gravitational force” – “weight” or “gravity”
- Transcription errors (when you see the number they should have written, but there is a small change) – ACCEPT
- Full substitution and wrong answer - ACCEPT FOR ACHIEVED, DROP ONE MARK FOR MERIT AND EXCELLENCE (Use this rule if they forget the $\times 10^?$)

Q1	Evidence	Achievement	Merit	Excellence
(a)	<p>SHOW THAT QUESTION</p> $\omega = 2\pi f = 2\pi \times 2.70 = 16.965 = 17 \text{ rad s}^{-1}$ <p>OR $\omega = 2.70 \times 60 = 162 \text{ rpm}$</p> $162 \times \frac{2\pi}{60} = 17.0$	<ul style="list-style-type: none"> • $2\pi \times 2.70$ OR working via 162 rpm 		
(b)	<p>SHOW THAT QUESTION</p> $\alpha = \frac{\Delta\omega}{\Delta t} = \frac{16.965}{0.250} = 67.86 = 68 \text{ rad s}^{-2}$ <p>Or using</p> $\omega_f = \omega_i + at$	<ul style="list-style-type: none"> • Correct working – equation and substitution 		
(c)	$\tau = Fr = 0.48 \times 0.034 = 0.01632 \text{ Nm}$ $\tau = I\alpha \Rightarrow I = \frac{0.01632}{67.86}$ $= 2.4050 \times 10^{-4} \text{ kg m}^2$ <p>OR uses</p> $I = \frac{2}{3} mr^2$ <p>Note: Using $L = mvr$ gets N</p>	<ul style="list-style-type: none"> • Correct τ. • Uses equation $\tau = I\alpha$ correctly with any value of τ. • Calculates an I using an mr^2 relationship, eg $I = mr^2 (3.5836 \times 10^{-4})$ 	<ul style="list-style-type: none"> • Correct answer. Unit not needed. 	<ul style="list-style-type: none"> • Both equations correct (or $2/3mr^2$ shown), with answer and unit (acceptable units: kg m^2, N m s^2, $\text{N m s}^2 \text{ rad}^{-1}$, $\text{kg m}^2 \text{ rad}^{-1}$)

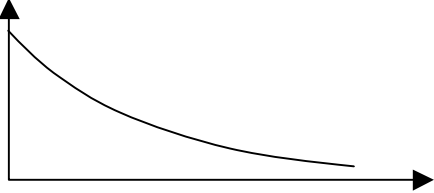
(d)(i)	<p>A ball thrown with the same linear speed will reach the same height, 1.4m. The balls both have the same linear kinetic energy, which turns into the same amount of gravitational potential energy. As a result the balls both reach the same height of 1.4m. The rotation of the ball does not affect the height because the rotating ball stays rotating at the same angular velocity, so the rotational kinetic energy does not change, so the gravitational potential energy is not affected</p>	<ul style="list-style-type: none"> • Same height/ 1.4 m • Non rotating ball goes to a lower height because there is less E_{Ktotal}, so there is less E_{pgrav}. 	<ul style="list-style-type: none"> • Same height AND (linear kinetic energy is turned into gravitational potential energy OR Rotational kinetic energy does not change). • The two balls have the same force/s/acceleration acting, so they reach the same height. OR The rotation does not affect the force/s/acceleration so they reach the same height. 	<ul style="list-style-type: none"> • Linear kinetic energy is turned into gravitational potential energy, they have the same linear kinetic energy, so they reach the same height. AND angular velocity/rotational kinetic energy doesn't change/affect the height • The two balls have the same net force/gravitational force acting, and the same initial speed, so they reach same height AND angular velocity/rotational kinetic energy doesn't change/affect the height
(d)(i)	<p>Because a solid ball has a significant proportion of its mass closer to the centre of rotation it would have a smaller rotational inertia than the hollow ball. If both balls are given the same angular speed the solid ball needs less work to get it rotating than the hollow ball. If less work is done to get the ball rotating, more of the total work is done to give the ball linear velocity so it will have a greater release speed and so will rise higher because it has more kinetic energy that is changed to gravitational potential energy.</p>	<ul style="list-style-type: none"> • Solid ball has a smaller rotational inertia. • Solid ball goes to a greater height. <p>Note: Accept "inertia".</p>	<ul style="list-style-type: none"> • Smaller rotational inertia because the solid ball has mass closer to the centre. • Less work done / energy to get the same spin of the solid ball OR more work / energy going into linear velocity / linear energy of the solid ball. (or less replaced with more IF they think I gets bigger) • Less rotational kinetic energy because I is smaller (OR less replaced with more IF they think I gets bigger). • Links linear kinetic energy to gravitational potential energy to height (even if height is incorrect). <p>Note: Accept "inertia".</p>	<ul style="list-style-type: none"> • Links – solid ball has smaller I because mass is closer to centre of rotation therefore - E_{Krot} is smaller – Work / E_{total} is the same for both therefore - E_{Klin} is greater – E_{klin} turns into E_{pgrav} - therefore the ball goes higher. <p>Note: Accept "inertia".</p>

Q1	Not Achieved		Achievement		Achievement with Merit		Achievement with Excellence	
	N1	N2	A3	A4	M5	M6	E7	E8
	ONE A point	TWO A points	THREE A points	FOUR A points	TWO M points	THREE M points from two different question parts	ONE E point plus ONE M point from a different q part to the E point	TWO E points

<p>(d)</p>	<p>SHOW THAT QUESTION</p> <p>At the top of the circle, where the speed is least, the centripetal force is the sum of the gravity force and the tension force. The minimum centripetal force is therefore when the tension force is zero and so the centripetal force is provided by the gravity force.</p> $F_g = F_c \rightarrow mg = \frac{mv^2}{r}$ $v = \sqrt{rg} = \sqrt{1.2 \times 9.81}$ $= 3.4310 = 3.43 \text{ m s}^{-1}$ <p>Note: Use of $T = 2\pi\sqrt{\frac{l}{g}}$ No credit.</p> <p>Note: Be cautious of working – $F_c=9.81$ gives 6.86, which then students divide by 2 to get 3.43. This is not worth M. Check to see if they have achieved points.</p>	<ul style="list-style-type: none"> • Equates F_g to F_c (words, symbols or equations, $F_c=9.81 \times 0.25$ is sufficient) • Tension force is zero • Rearranges $F_c = \frac{mv^2}{r}$ to get v. • Uses equation $v = \sqrt{rg}$ to get correct speed. <p>Note: Accept $g = 9.81$ or 9.8 or 10</p>	<ul style="list-style-type: none"> • Only force acting is the gravitational force OR gravitational force IS the centripetal force OR tension force=0 therefore centripetal force = gravitational force • Some correct working shown (equation OR substitution). Use of $a_c = \frac{v^2}{r}$ okay. 	<ul style="list-style-type: none"> • Correct working (equation AND substitution). <p>AND</p> <ul style="list-style-type: none"> • gravitational force IS the centripetal force. OR tension force = 0, therefore centripetal force = gravitational force. <p>Note: stating $F_c = F_g$ is not the same as F_c IS F_g.</p>
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(e)	<p>SHOW THAT QUESTION</p> $E_k(\text{top}) = \frac{1}{2}mv^2$ $= \frac{1}{2} \times 0.25 \times 3.4310^2 = 1.4715 \text{ J}$ $E_k(\text{position shown}) = \frac{1}{2}mv^2$ $= \frac{1}{2} \times 0.25 \times 34.00^2 = 2.00 \text{ J}$ $\Delta E_k = \Delta E_{p \text{ grav}} = 2.00 - 1.4715 = 0.5285 \text{ J}$ $\Delta E_{p \text{ grav}} = mg\Delta h$ $0.5285 = 0.250 \times 9.81 \times \Delta h$ $\Delta h = \frac{0.250 \times 9.81}{0.5285} = 0.2155 \text{ m}$ $\cos\theta = \frac{(1.2 - 0.2155)}{1.2}$ $\theta = 34.8740 = 34.9^\circ$		<ul style="list-style-type: none"> • Either E_k calculated (at position shown (2J) or at top(1.4715J)) • Correct $E_{p \text{ grav}}$ at top (from middle of circle = 2.943J or from bottom of circle 5.886 J) OR Difference in $E_{p \text{ grav}} = 0.5285\text{J}$ 		<ul style="list-style-type: none"> • A correct height – (0.2155 from top, or 0.9835 from middle or 2.1835 from bottom). Note: Doesn't have to explain where this is measured from OR A height using $E_{p \text{ grav}} = 2 \text{ J}$ (0.815 m) or $E_{p \text{ grav}} = 1.47 \text{ J}$ (0.599 m) is not acceptable. 		<ul style="list-style-type: none"> • Correct working – Some evidence of $E_{p \text{ grav}}$ and E_k equations used and trig used. 	
Q2	Not Achieved		Achievement		Achievement with Merit		Achievement with Excellence	
	N1	N2	A3	A4	M5	M6	E7	E8
	ONE A point	TWO A points	THREE A points from two different question parts	FOUR A points from three different question parts	TWO M points from different parts	THREE M points	ONE E point plus one Merit from a different question part	TWO E points

Time

Q3	Evidence	Achievement	Merit	Excellence
(a)	<p>SHOW THAT QUESTION</p> $T = 2\pi\sqrt{\frac{l}{g}} = 2\pi\sqrt{\frac{1.2}{9.81}} = 2.1975 = 2.2 \text{ s}$	<ul style="list-style-type: none"> • Correct equation OR substitution. 		
(b)	<p>Angle of the swing must be small, so that the motion can be approximated as a straight line and the force is proportional to the displacement.</p>	<ul style="list-style-type: none"> • Angle / amplitude must be kept small. • The motion can be approximated to a straight line OR force / acceleration is proportional to displacement OR force / acceleration is towards the equilibrium position. 	<ul style="list-style-type: none"> • Angle / amplitude / initial displacement is small <p>AND</p> <p>(the motion of the ball can be approximated to a straight line OR force / acceleration is proportional to displacement OR force / acceleration is towards the equilibrium position).</p>	
(c)		<ul style="list-style-type: none"> • Downwards sloping line. • Oscillation with constant period that decreases with time. 	<ul style="list-style-type: none"> • Line has negative slope with a decreasing size of slope. 	

<p>(d)</p>	<p>The ball will start oscillating if the frequency of the shaking matches the natural frequency of the pendulum. If the frequencies are the same, resonance will occur, which means the energy used for the shaking will be transferred into the ball, giving it kinetic energy to make the ball swing.</p>	<ul style="list-style-type: none"> • Shake at (resonant frequency OR natural frequency OR same time each cycle). • $E_{pgrav} \leq E_K$ as ball oscillates. • Standing wave set up (or words describing this). 	<ul style="list-style-type: none"> • Shaking at (resonant frequency OR natural frequency OR same time each cycle). <p>AND</p> <p>will cause (large amplitude OR large energy transfer OR energy transferred from shake to ball).</p> <ul style="list-style-type: none"> • Wave reflects / interferes and standing wave is set up. • Shake at (resonant freq OR natural freq OR same time each cycle) AND ($E_{pgrav} \geq E_K$ as ball oscillates OR statement of conservation of energy). • Force of hand pulls ball (increasing speed / acc / restoring force / amplitude OR causing acceleration / restoring force). 	<ul style="list-style-type: none"> • Shaking at (resonant frequency OR natural frequency OR same time each cycle). <p>AND</p> <p>Causes (energy to be transferred from shake to E_{pgrav} or E_K of ball OR wave reflects and interferes producing standing wave).</p>
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Gravitational
force F_g

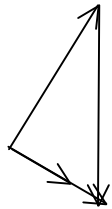
(e)



The forces acting on the ball are the tension force and the gravitational force. The gravitational force is constant, and always acts downwards. The tension force changes direction as the ball swings because it always points in the

direction of the cord.

At each end of the swing, the tension plus the gravitational force add to make the net force which is the restoring force which is at a tangent to the path. The tension force balances the component of the gravitational force opposite to the direction of the string. The restoring force is the component of the gravitational force that is perpendicular to the string. As the displacement increases, the angle of the string increases, so the size of the restoring force increases.



Note: If students use the word “support” in place of tension, drop mark down by one.

- Gravitational force and tension identified as forces acting on the ball. (Symbols sufficient)
- Gravitational force does not change

Note: Accept air resistance included

- Gravitational force and tension named and labelled diagram of tension at correct non-zero angle and gravitational force acting downwards. No incorrect forces (e.g. F_c).

- Tension increases displacement decreases because the centripetal force is greater because it is moving faster (curved)

OR

Tension increases as displacement decreases as tension force cancels a component of gravity (curved)

OR

Tension decreases as displacement decreases as horizontal component of tension gets smaller (straight line)

OR

Tension decreases as displacement decreases as vertical component cancels gravitational force (straight line)

OR

Tension changes angle as it always acts towards the cord

OR

(Restoring force is component of (tension or gravitational force)

AND restoring force increases with greater angle)

Note: Accept air resistance included.

- Labelled diagram showing restoring force created (with triangle OR components OR statement showing restoring force is the addition of gravitational force and tension). No incorrect forces (e.g. F_c).

AND

Tension increases displacement decreases because the centripetal force is greater because it is moving faster

OR

Tension increases as displacement decreases as tension force cancels a component of gravity

OR

Tension decreases as displacement decreases as horizontal component of tension gets smaller

OR

Tension decreases as displacement decreases as vertical component cancels gravitational force

OR

Tension changes angle as it always acts towards the cord

OR

(Restoring force is component of (tension or gravitational force)

AND restoring force increases with greater angle)

Note: Accept air resistance included.

Q3	Not Achieved		Achievement		Achievement with Merit		Achievement with Excellence	
	N1	N2	A3	A4	M5	M6	E7	E8
	ONE A point	TWO A points	THREE A points from two different parts	FOUR A points from three different parts	TWO M points from two different parts	THREE M points from two different question parts	ONE E point plus one M point from another question part	TWO E points

Judgement Statement

	Not Achieved	Achievement	Achievement with Merit	Achievement with Excellence
Score range	0 – 7	8 – 13	14 – 18	19 – 24